

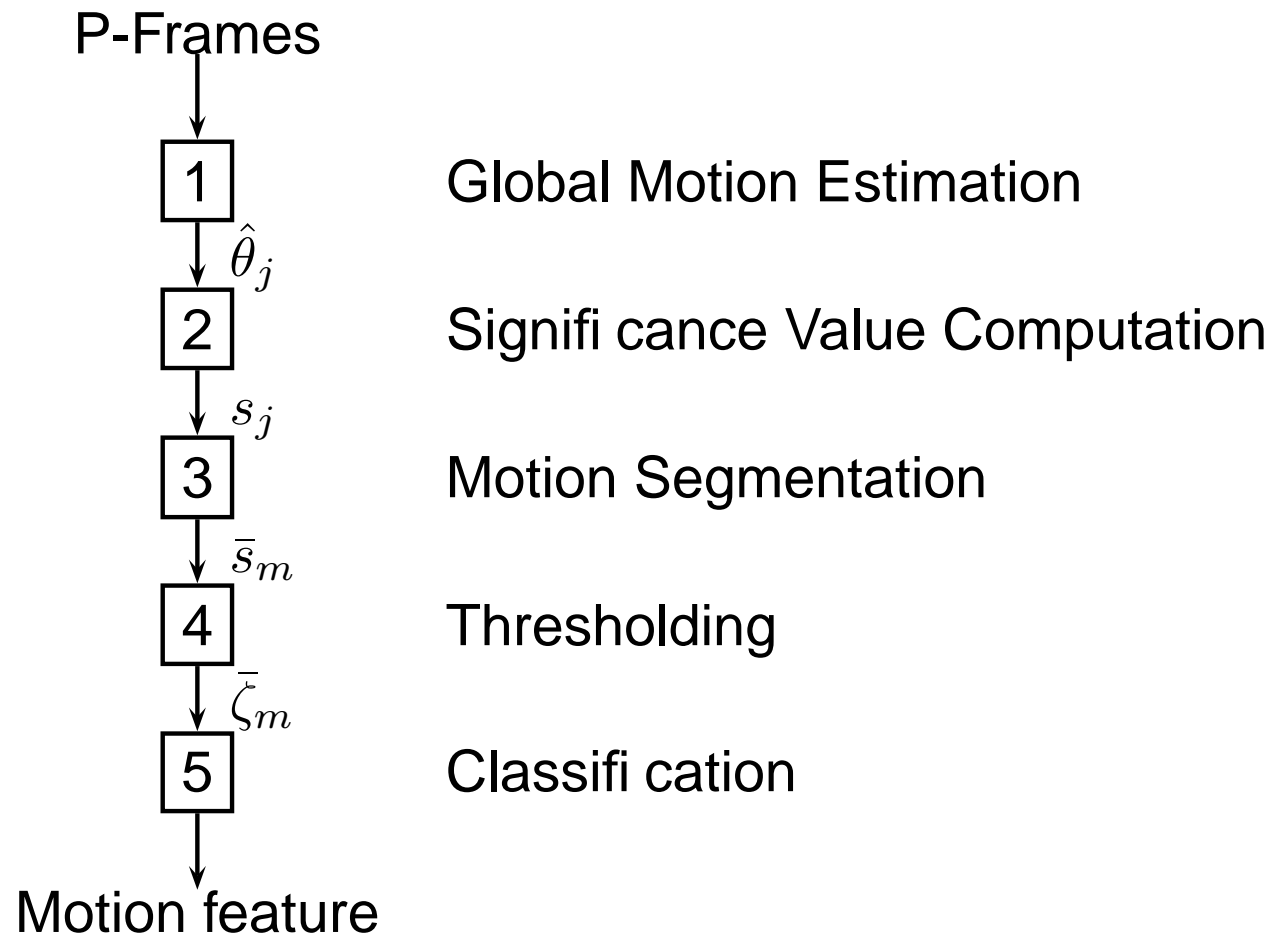
# Camera Motion Identification in the Rough Indexing Paradigm

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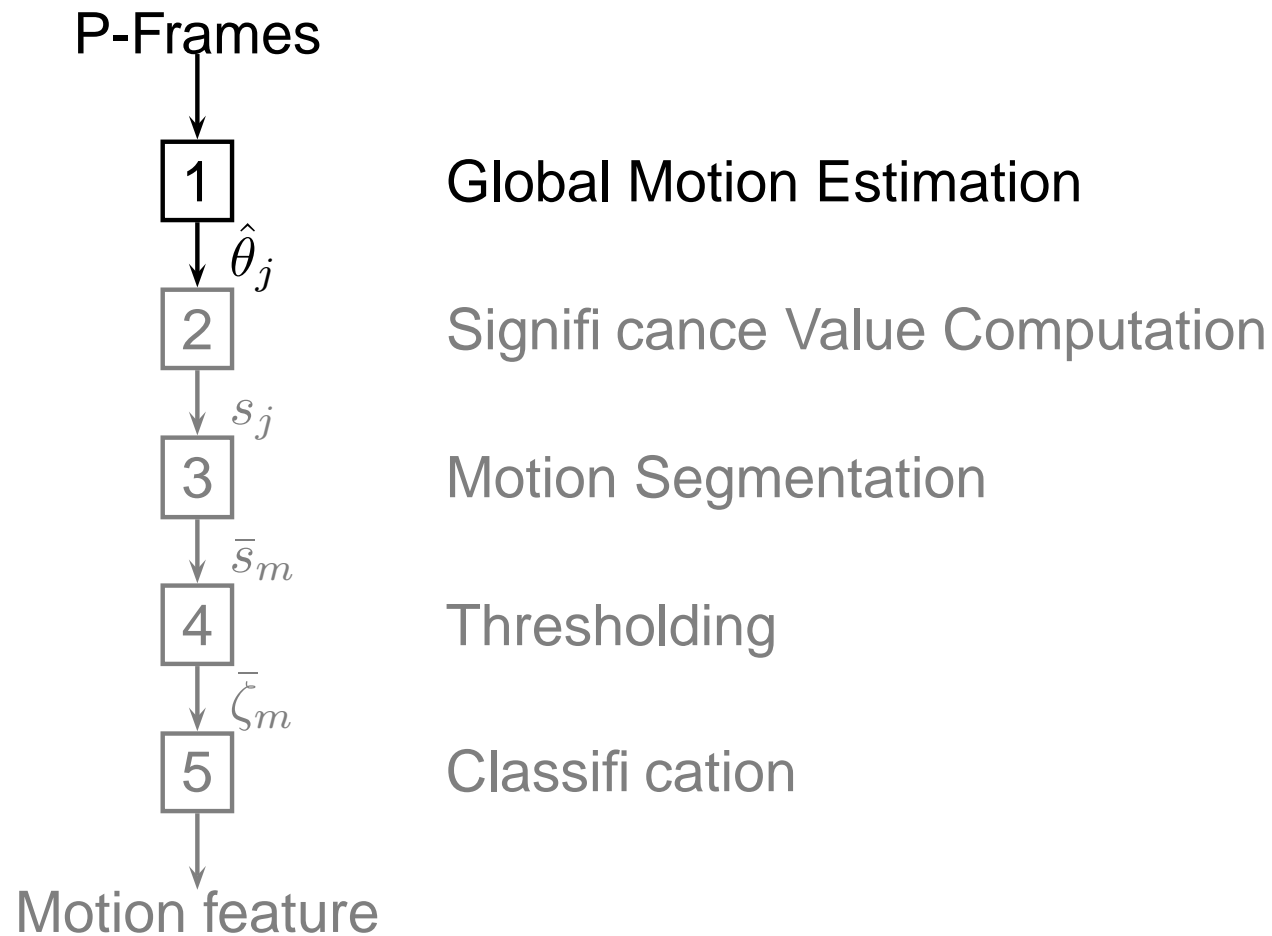
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- Task:
  - Given the shot boundary reference
  - Identify the shots in which a certain camera motion (pan, tilt, zoom) is present
- Rough Indexing Paradigm:  
Work on a lower spatial and temporal resolution i.e. P-Frames
- Aim:  
Reuse motion low-level descriptors from the compressed stream
- Main challenge in TRECVID 2005:  
Jitter camera motion due to hand-carried cameras



$j$  related to frames,  $m$  related to segments of homogeneous motion



$j$  related to frames,  $m$  related to segments of homogeneous motion

Robust global motion estimator for P-Frames [DBP01]:

- Estimation of the affine 2D motion model:

$$\begin{pmatrix} dx_i \\ dy_i \end{pmatrix} = \begin{pmatrix} a_1 \\ a_4 \end{pmatrix} + \begin{pmatrix} a_2 & a_3 \\ a_5 & a_6 \end{pmatrix} \begin{pmatrix} x_i \\ y_i \end{pmatrix}$$

- Based on the weighted least squares method:

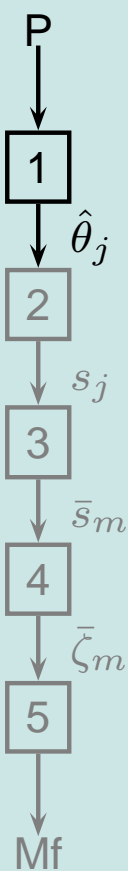
$$\hat{\theta} = (H^T W H)^{-1} H^T W Z$$

$$\hat{\theta} = (a_1, a_2, a_3, a_4, a_5, a_6)^T$$

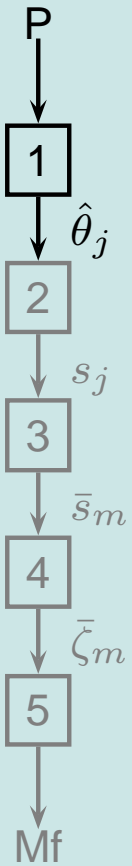
$Z$  MPEG motion compensation vectors

$H$  macroblock centers

$W$  weights defined by the derivative of the Tukey function



# Global Motion Estimation



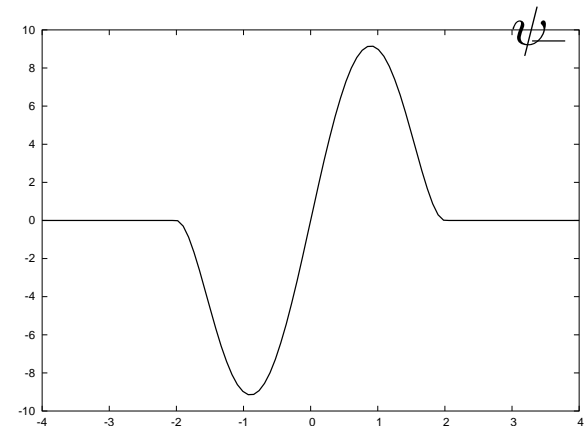
- The derivative of the Tukey function:

$$\psi(r, \lambda_r) = \begin{cases} r(r^2 - \lambda_r^2)^2 & \text{if } |r| < \lambda_r \\ 0 & \text{otherwise} \end{cases}$$

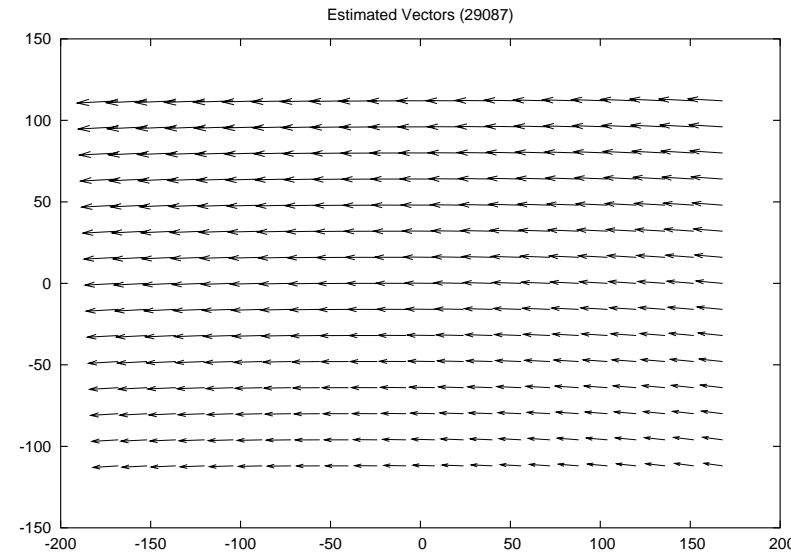
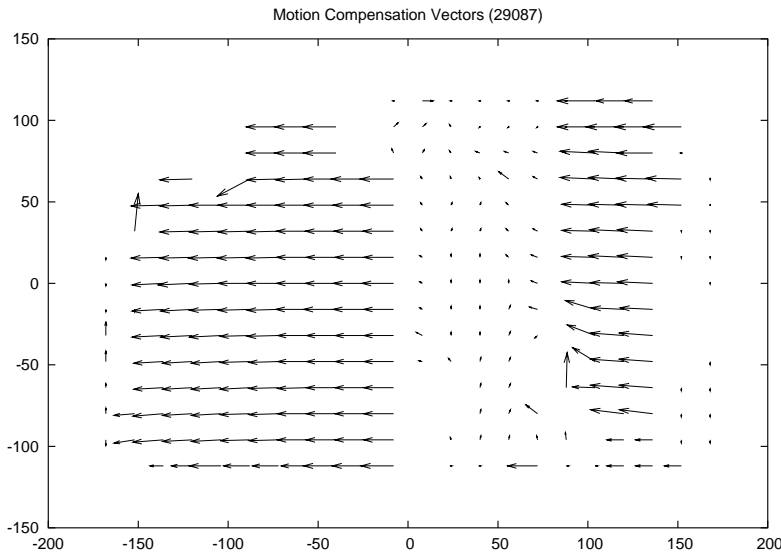
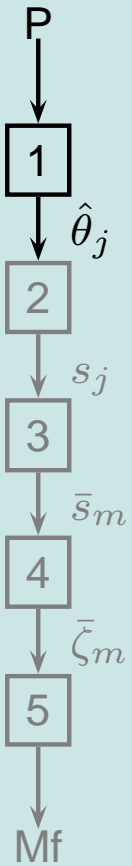
- The weights are [OB95]:

$$w_i = \frac{\psi(r_i)}{r_i}$$

$\lambda_r$	threshold
$r_i = z_i - \hat{z}_i$	residuals
$z_i$	$i$ -th MPEG motion vector
$\hat{z}_i$	estimation of $z_i$



# Global Motion Estimation




a) P-Frame motion vectors

b) Estimated vectors

c) Macroblocks:

 Outliers

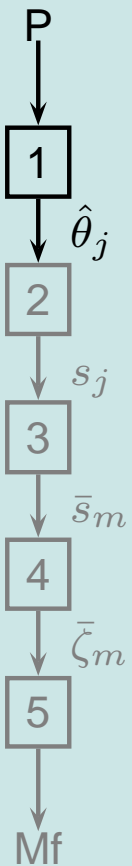
 Dominant estimation support  $D$   
( $w_i > 0$ )

Problem:

- The global motion parameters are noisy due to jitter motions.
- The global motion parameters have different meanings.

Solution:

- Significance test of the motion parameters:  
Thresholding of likelihood values





# Significance Value Computation



Based on [BGG99]:

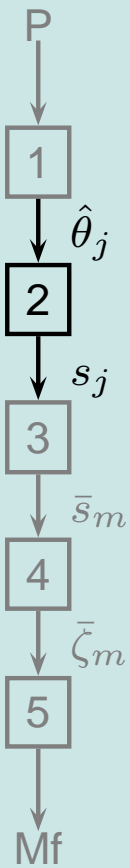
- Change to another basis of elementary motion-subfields:

$$\phi = (\text{pan}, \text{tilt}, \text{zoom}, \text{rot}, \text{hyp1}, \text{hyp2}) \quad \text{with}$$

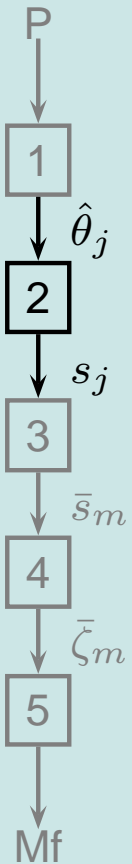
$$\text{zoom} = \frac{1}{2}(a_2 + a_6) \quad \text{rot} = \frac{1}{2}(a_5 - a_3)$$

$$\text{hyp1} = \frac{1}{2}(a_2 - a_6) \quad \text{hyp2} = \frac{1}{2}(a_3 + a_5)$$

- Consider two hypotheses  $H_0$  and  $H_1$ 
  - $H_0$ : the considered component of  $\phi$  is significant with  $\hat{\phi}_0$  as the corresponding motion model
  - $H_1$ : the considered component of  $\phi$  is not significant ( $= 0$ ) with  $\hat{\phi}_1$  as the corresponding motion model



# Significance Value Computation



- Likelihood function associated to each hypothesis:

$$f(\hat{\phi}_l) = \prod_{i \in D} \left( \frac{1}{2\pi \sqrt{\det(\Sigma_l)}} \exp \left( -\frac{1}{2} (r_i^T \Sigma_l^{-1} r_i) \right) \right)$$

$$= \frac{1}{(2\pi \sigma_{x,l} \sigma_{y,l})^{\|D\|}} \exp(-\|D\|), \quad l = 0, 1$$

Assumption:

$$\Sigma_l = \begin{pmatrix} \sigma_{x,l}^2 & 0 \\ 0 & \sigma_{y,l}^2 \end{pmatrix}$$

$\Sigma$	covariance matrix
$\sigma_x, \sigma_y$	variances for $x$ and $y$
$D$	dominant estimation support

# Significance Value Computation



- The significance value  $s$  is:

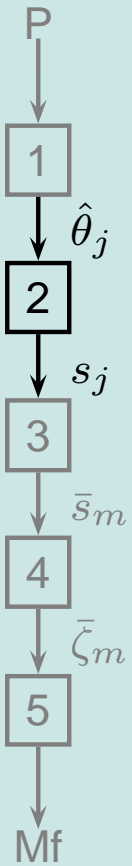
$$s = \ln \left( \frac{f(\hat{\phi}_1)}{f(\hat{\phi}_0)} \right) = \|D\| (\ln(\sigma_{x,0}\sigma_{y,0}) - \ln(\sigma_{x,1}\sigma_{y,1}))$$
$$=^* \|D\| (\ln(\sigma_0^2) - \ln(\sigma_1^2))$$

\* assuming that  $\sigma_x = \sigma_y$

- Aim: Use  $s$  to test the significance

- Idea:

If a motion feature (pan, zoom, tilt) is present in a shot, its corresponding motion parameter is significant during a sufficient number of frames.



# Significance Value Computation

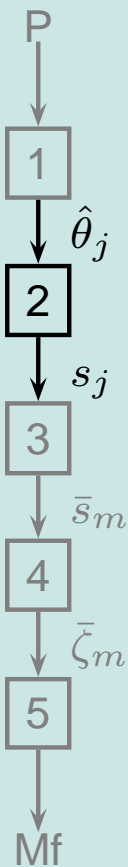


Problem:

- The significance values can be noisy due to jitter motions.
- The motion models  $\hat{\theta}$  can be inaccurate.

Solution:

- Smooth the significance value along the time and take decision on the temporal mean value.  
→ Segment shots into subshots of homogeneous motion
- Introduce confidence measures in order to reject frames with an inaccurate motion model.



# Significance Value Computation

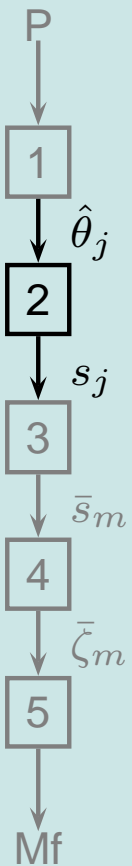


Two reasons for inaccurate motion models:

- Failure of the MPEG encoder  
→ Confidence measure  $c_D \approx \|D\|$
- Failure of the global motion estimation algorithm  
→ Confidence measure  $c_\sigma \approx \sigma_0^2$

Reject of the frame if:  $c_D < \lambda_D \ || \ c_\sigma > \lambda_\sigma$

$\lambda_D$  threshold  
 $\lambda_\sigma$  threshold



# Motion Segmentation



Hinkley test to detect changes on the temporal mean value  $\bar{s}(t)$ :

● Downward jump:

$$U_k = \sum_{t=0}^k \left( s_t - \bar{s} + \frac{\delta_{min}}{2} \right) \quad (k \geq 0)$$

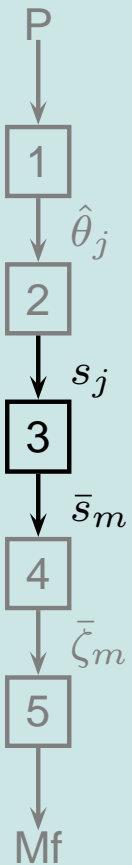
$$M_k = \max_{0 \leq i \leq k} U_i; \text{ detection if } M_k - U_k > \lambda_H$$

● Upward jump:

$$V_k = \sum_{t=0}^k \left( s_t - \bar{s} - \frac{\delta_{min}}{2} \right) \quad (k \geq 0)$$

$$N_k = \min_{0 \leq i \leq k} V_i; \text{ detection if } V_k - N_k > \lambda_H$$

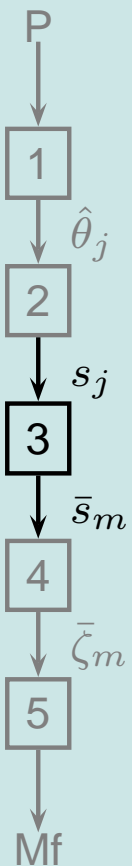
$\bar{s}$	temporal mean value
$\delta_{min}$	minimal jump magnitude
$\lambda_H$	predefined threshold



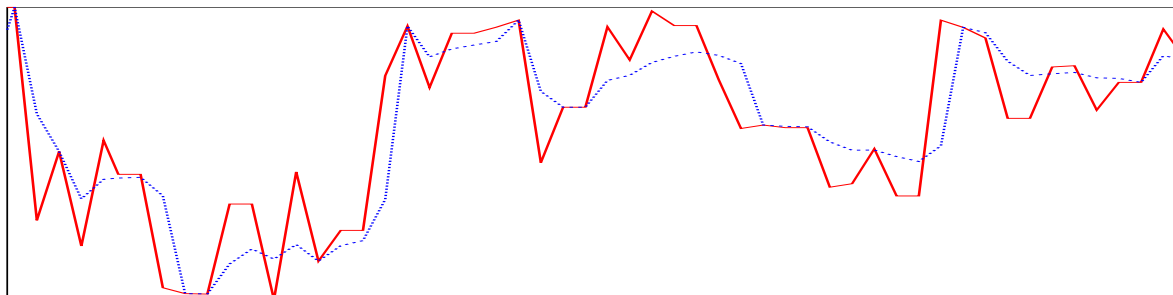
# Motion Segmentation



Principle of the Hinkely test:

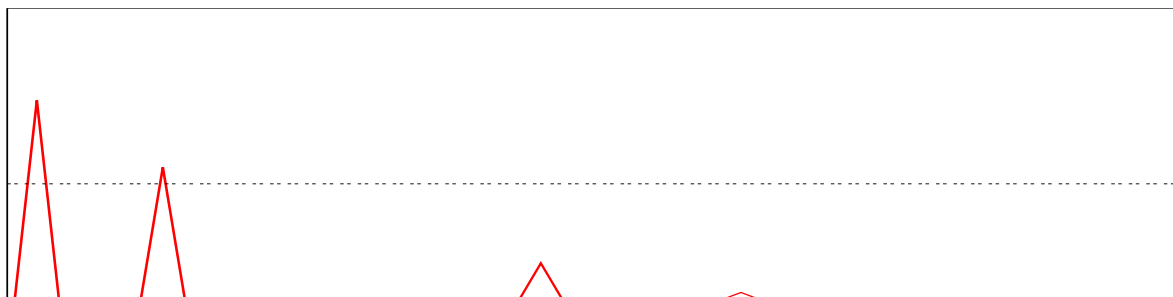


$s$  and  $\bar{s}$



Down

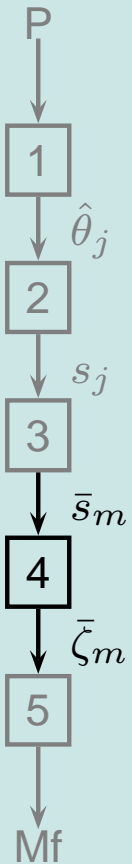
$M_k - U_k$



Up

$V_k - N_k$





- Selection of the hypothesis:

$$\bar{s}(t) = \frac{1}{T - t_0} \sum_{t=t_0}^{t=T} s(t) \begin{matrix} < \\ > \end{matrix} \begin{matrix} H_0 \\ H_1 \end{matrix} \lambda_s$$

- And relative thresholding to determine the dominant motion:

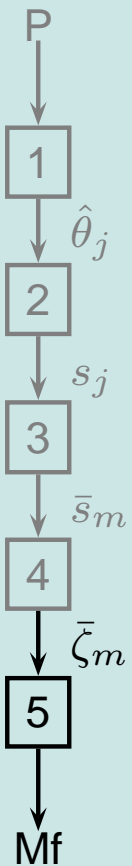
$$\bar{\zeta}(t) = \begin{cases} \bar{s}(t) & \text{if } \bar{s}(t) < \alpha \cdot \min\{\bar{s}_{pan}, \bar{s}_{tilt}, \bar{s}_{zoom}, \bar{s}_{rot}, \bar{s}_{hyp1}, \bar{s}_{hyp2}\} \\ 0 & \text{otherwise} \end{cases}$$

$T - t_0$	segment of homogeneous motion
$\lambda_s$	threshold
$\alpha$	constant



The following classification scheme is applied to the thresholded mean significance values  $\bar{\zeta} = (\bar{\zeta}_{pan}, \bar{\zeta}_{tilt}, \bar{\zeta}_{zoom}, \bar{\zeta}_{rot}, \bar{\zeta}_{hyp1}, \bar{\zeta}_{hyp2})$ :

	$\bar{\zeta}$	motion feature
1	$(0, 0, 0, 0, 0, 0)$	static camera/ no significant motion
2	$(\bar{\zeta}_{pan}, 0, 0, 0, 0, 0)$	pan
3	$(0, \bar{\zeta}_{tilt}, 0, 0, 0, 0)$	tilt
4	$(\bar{\zeta}_{pan}, \bar{\zeta}_{tilt}, \bar{\zeta}_{zoom}, 0, 0, 0)$	zoom
5	others	complex camera motion



Postprocessing:

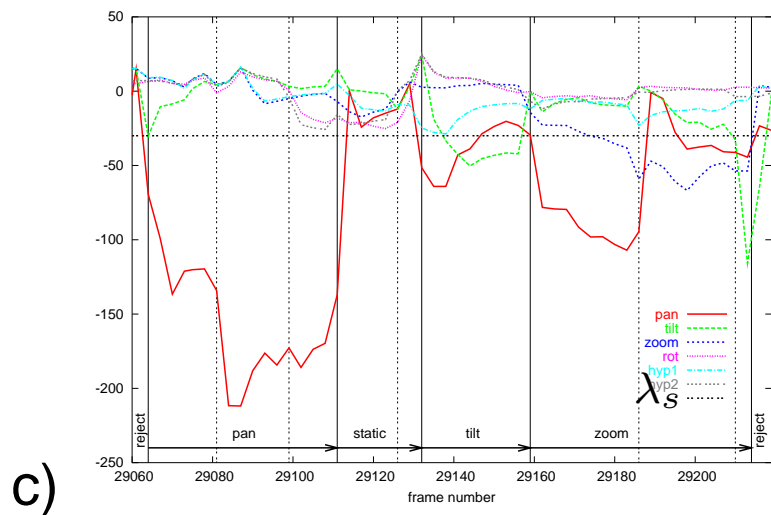
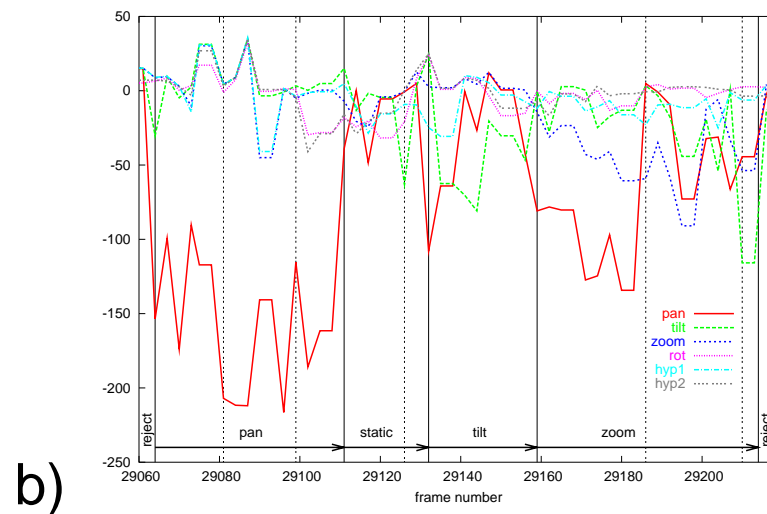
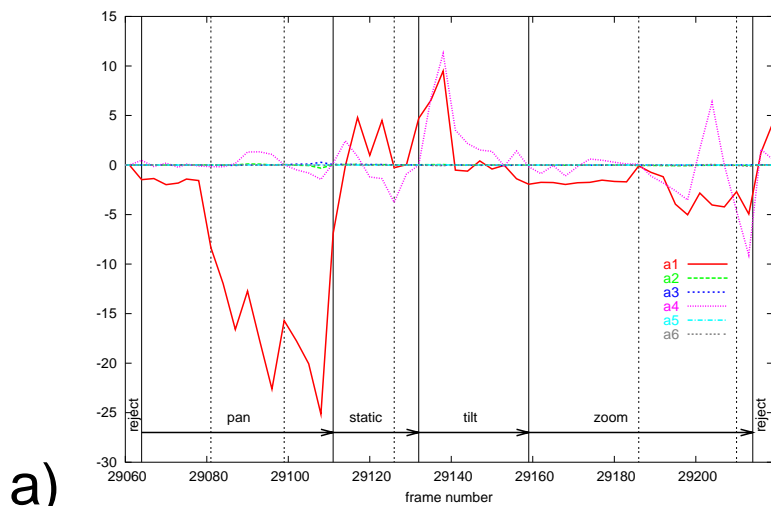
- Join neighbored segments with the same motion feature
- Reject segments with a duration shorter than  $t_{min}$  frames



If a motion feature is still present:

The shot is identified to contain the motion feature.

## Results for the shot "shot106\_136":

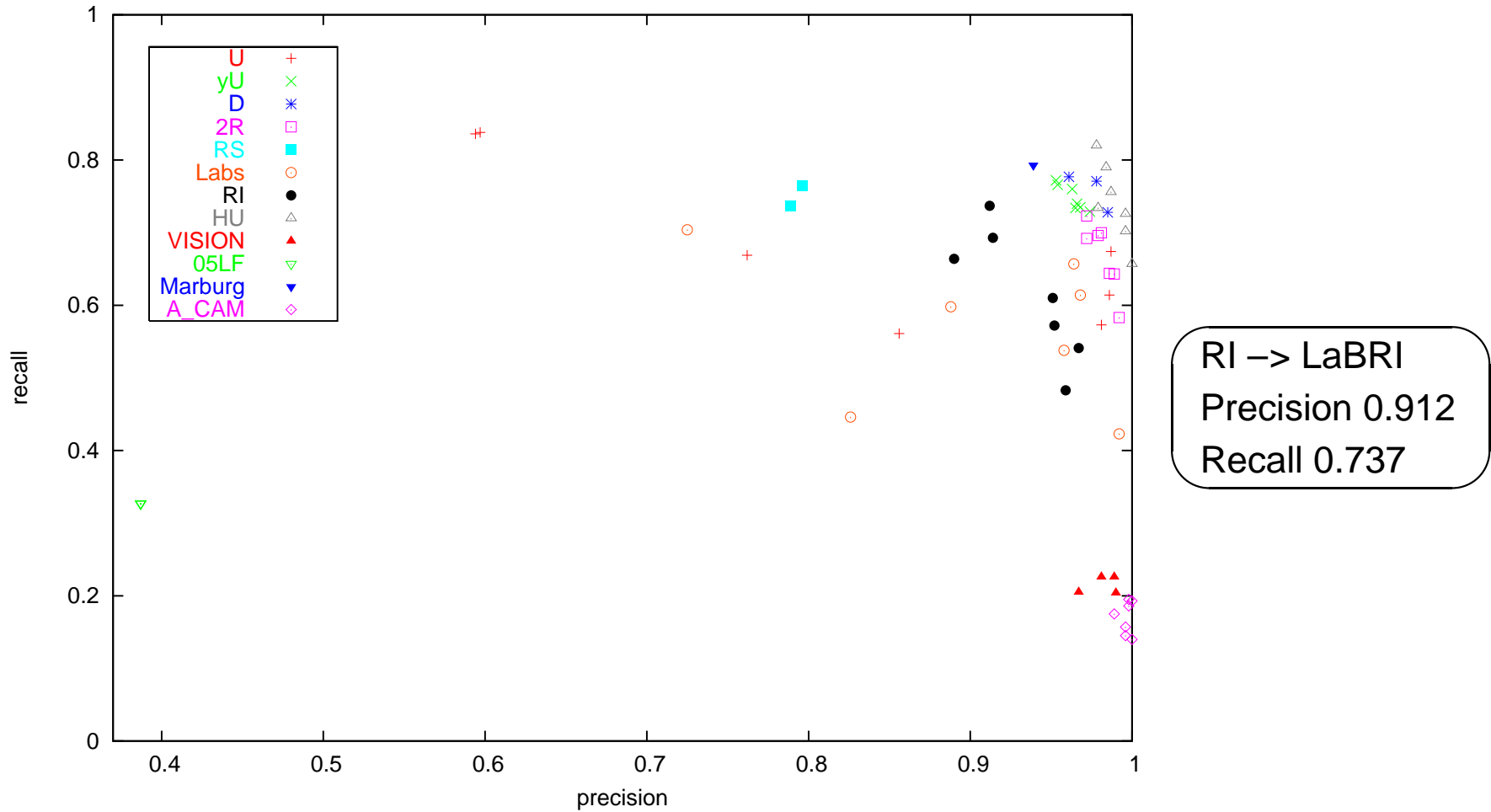


- a) Global motion parameters  $\hat{\theta}$
- b) Significance values  $s$
- c) Online mean values  $\bar{s}$

# Results



Precision and recall for all submissions:



## Conclusion:

- Proposition of a method based on global motion estimation and significance test.
- The proposed method can handle moving objects and jitter motions.
- No decoding of the compressed stream.
- Performance 3-4 times faster than real time.
- Since no ground truth available, difficulties to determine the best parameter set.

## Future work:

Focus mainly on the correction of motion models if the encoder block-matching algorithm fails.

- [BGG99] P. Bouthemy, M. Gelgon, and F. Ganansia. A unified approach to shot change detection and camera motion characterization. *IEEE Trans. on Circuits and Systems for Video Technology*, 9(7):1030–1044, October 1999.
- [DBP01] M. Durik and J. Benois-Pineau. Robust motion characterisation for video indexing based on MPEG2 optical flow. In *International Workshop on Content-Based Multimedia Indexing, CBMI'01*, pages 57–64, 2001.
- [OB95] J.M. Odobez and P. Bouthemy. Robust multiresolution estimation of parametric motion models. *Journal of Visual Communication and Image Representation*, 6(4):348–365, 1995.