



High-Level Feature Extraction Using SIFT GMMs, Audio Models, and MFoM

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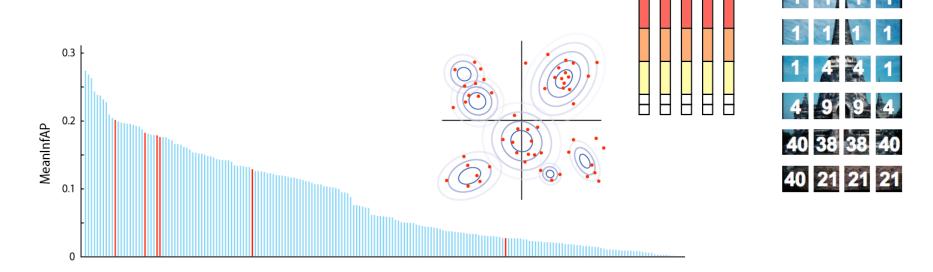
Outline

- 1. SIFT Gaussian mixture models (GMMs) and audio models
- 2. Text representation of images

3. Multi-Class Maximal Figure-of-Merit (MC MFoM)

classifier to combine 1 & 2

Best result: Mean InfAP = 0.168







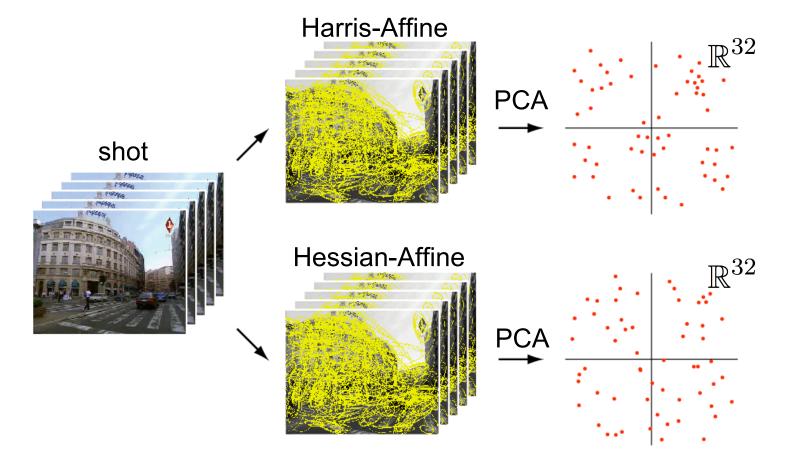
1. SIFT GMMs and Audio Models





SIFT Feature Extraction

- Extract SIFT features from all the image frames with Harris-Affine / Hessian-Affine regions.
- Apply PCA to reduce dimension [128dim → 32dim].







SIFT Gaussian Mixture Models

 Model SIFT features by a Gaussian Mixture Model (GMM).

Robustness against quantization errors that occur in hardassignment clustering in the BoW approach is expected.

Probability density function (pdf)

of SIFT GMM:

$$p(x|\theta) = \sum_{k=1}^{K} w_k \mathcal{N}(x|\mu_k, \Sigma_k)$$

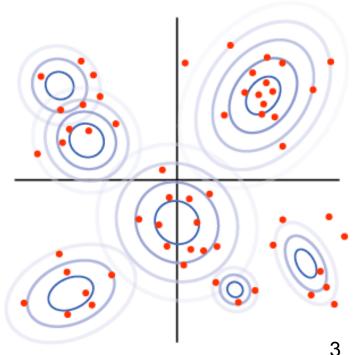
K: num. of mixtures (512)

 w_k : mixing coefficient

 $\mathcal{N}(x|\mu_k,\Sigma_k)$: pdf of Gaussian

 μ_k : mean vector

 \sum_{k} : variance matrix

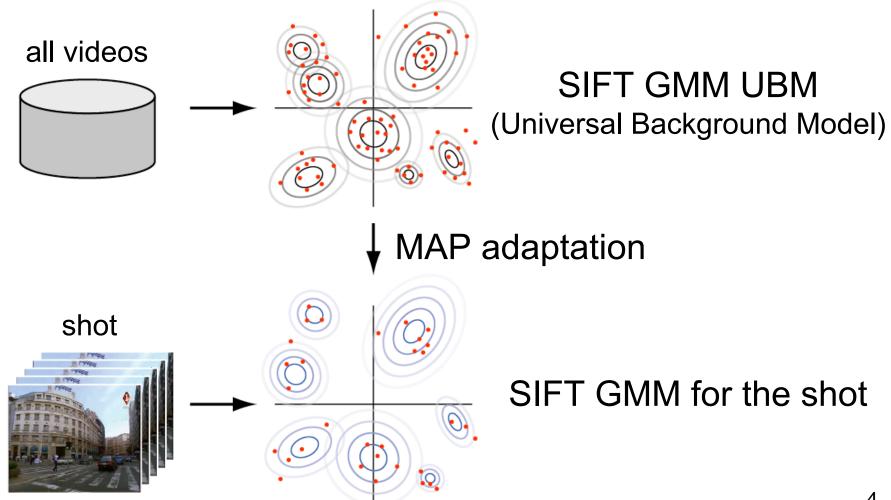






SIFT Gaussian Mixture Models

Maximum A Posteriori (MAP) adaptation







Classification

Distance between SIFT GMMs:

Weighted sum of Mahalanobis distance

$$d(s,t) = \sum_{k=1}^{K} w_k^{(g)} (\mu_k^{(s)} - \mu_k^{(t)})^T (\Sigma_k^{(g)})^{-1} (\mu_k^{(s)} - \mu_k^{(t)})$$

 $\theta^{(g)}$: UBM, $\theta^{(s)}, \theta^{(t)}$: s-th and t-th shots

SVM classification with probability outputs Kernel function : $K(s,t) = \exp(-\gamma d(s,t))$

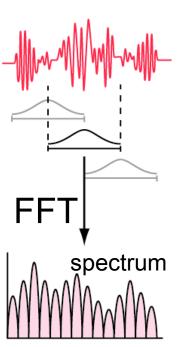
Finally, we obtain posteriori probability $p(h = +1|X_s)$





Audio Models

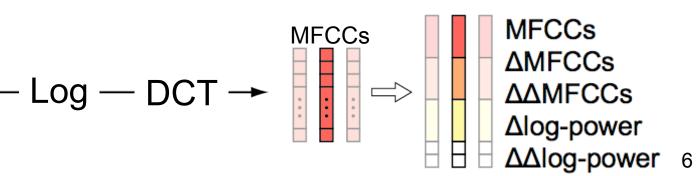
- Features: Mel-Frequency Cepstral Coefficients (MFCCs)
- Models: Hidden Markov Models (HMMs)



filter bank

Feature extraction process

- 1. Frame extraction
- 2. Windowing [Hamming window]
- 3. Fast Fourier transform (FFT)
- 4. Mel scale filter bank
- 5. Logarithmic transform
- 6. Discrete cosine transform (DCT)

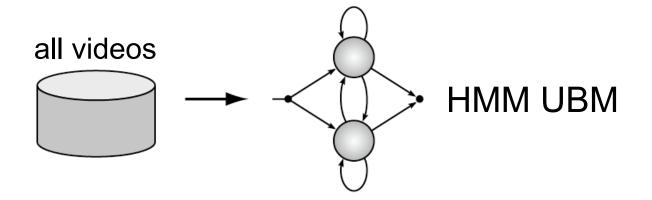


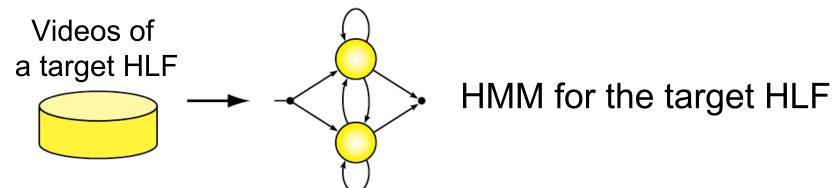




Hidden Markov Models

- Ergodic HMMs (2 states, GMMs with 512 mixtures)
- Log of likelihood ratio



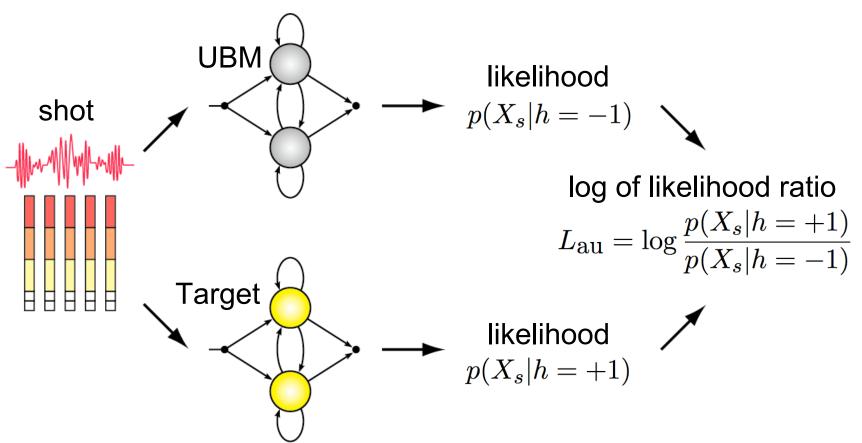






Hidden Markov Models

- Ergodic HMMs (2 states, GMMs with 512 mixtures)
- Log of likelihood ratio







Combination of SIFT GMMs and Audio Models

- Outputs from
 - audio models $L_{\rm au}$
 - SIFT GMMs with Harris-Affine regions $p_{har}(h = +1|X_s)$
 - SIFT GMMs with Hessian-Affine regions $p_{\text{hes}}(h=+1|X_s)$
- Log of likelihood ratio and posteriori probability
- Combined log of likelihood ratio

$$L = w_{\text{au}}L_{\text{au}} + w_{\text{har}}H(p_{\text{har}}(h = +1|X_s)) + w_{\text{hes}}H(p_{\text{hes}}(h = +1|X_s))$$

where
$$H(p) = \log \frac{p}{1-p}$$

Optimize weight parameters by 2-fold cross validation





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$$\begin{split} L_{\text{har}} &= \log \frac{p_{\text{har}}(X_s|h = +1)}{p_{\text{har}}(X_s|h = -1)} \\ &= \log \frac{p_{\text{har}}(h = +1|X_s)}{p_{\text{har}}(h = -1|X_s)} \cdot \frac{p_{\text{har}}(h = -1)}{p_{\text{har}}(h = +1)} \\ &= H(p_{\text{har}}(h = +1|X_s)) + H(p_{\text{har}}(h = +1))^{-1} \\ \text{where } H(p) &= \log \frac{p}{1-p} \end{split}$$





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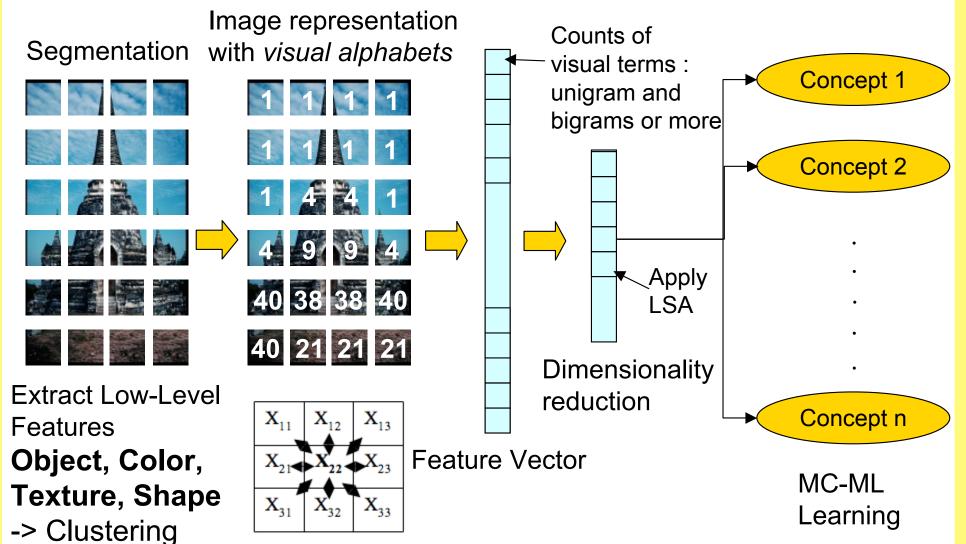


2. Text Representation of Images and MC MFoM Classifier





Text Representation of Images







MC MFoM Classifier

- Multi-Class (MC) learning approach
 MC learning approach can learn a classifier even if there are not enough positive samples like the case of the HLF extraction task in TRECVID2009.
- Maximal Figure-of-Merit (MFoM) Classifier
 MFoM classifier can directly optimize <u>any objective performance</u> <u>metric</u> such as m-F1 and MAP by approximating discrete functions to continuous functions, and the GPD algorithm.





MC MFoM Learning Scheme

- The parameter set, $\Lambda=\{\Lambda_j, 1\leq j\leq N\}$ is estimated by directly optimizing an objective performance metric with a linear classifier, $g_j(X;\Lambda_j)=W_j\cdot X+b_j$.
- Given N concepts, $C=\{C_j, 1\leq j\leq N\}$ and D-dimensional image representation, $X\in R^D$, the decision rule is

$$\begin{cases} Accept & X \in C_j, \text{if } g_j(X; \Lambda_j) - g_j^-(X; \Lambda^-) > 0 \\ Reject & X \notin C_j, Otherwise \end{cases}$$
 $1 \le j \le N$

where $g_j^-(X;\Lambda^-)$ indicates a geometric average for scores of all competing concepts to the concept j.





MC MFoM Learning Scheme

- Misclassification function, $d_j(X;\Lambda)=-g_j(X;\Lambda_j)+g_j^-(X;\Lambda^-)$ is defined where a correct decision is made when $d_j(X;\Lambda)<0$.
- Approximation of discrete functions to continuous functions by introducing a sigmoid function

$$l_{j}(X;\Lambda) = \frac{1}{1 + \exp\left(-\alpha(d_{j}(X;\Lambda) + \beta)\right)}$$

$$\begin{cases}
TP_{j} \approx \sum_{X \in T} (1 - l_{j}(X;\Lambda)) \cdot 1(X \in C_{j}) \\
FP_{j} \approx \sum_{X \in T} (1 - l_{j}(X;\Lambda)) \cdot 1(X \notin C_{j}) \\
FN_{j} \approx \sum_{X \in T} l_{j}(X;\Lambda) \cdot 1(X \in C_{j})
\end{cases}$$

 Now, most commonly used metrics could be represented with the above approximations, and directly optimized with GPD algorithm.





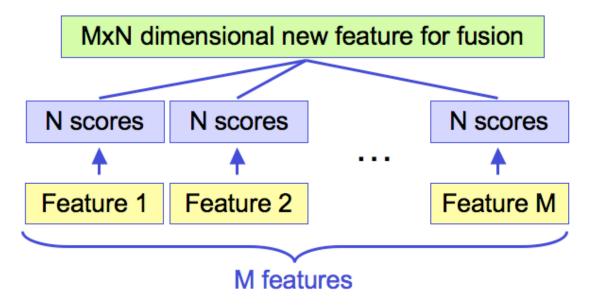
3. MFoM Fusion





Discriminant Fusion Scheme

Model Based Transformation (MBT) fusion
 Given N concepts, N score functions are learned by an MC MFoM classifier. Taking the N score functions as the basis for the transformation, we can obtain a new N-dimensional feature.



A new MC-MFoM classifier can be trained using MxN-dimensional features.





Reference experiment to MFoM fusion

Rank fusion

The rank numbers from different systems are combined to get a new rank number:

$$N(x) = \sum_{i} P_i R_i(x)$$

 $R_i(x)$: the rank number of shot x in the ranked output of

classification system i

 P_i : the weight assignment to system i

2-fold cross validation is used to determine the weight parameters





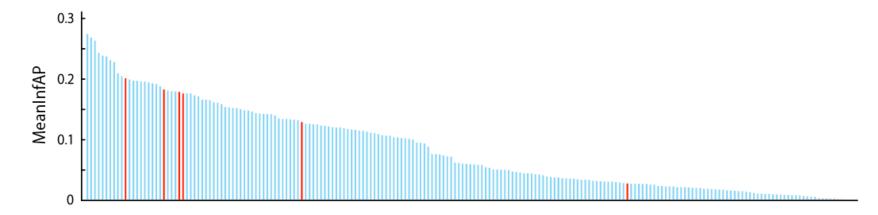
4. Experiment





Result

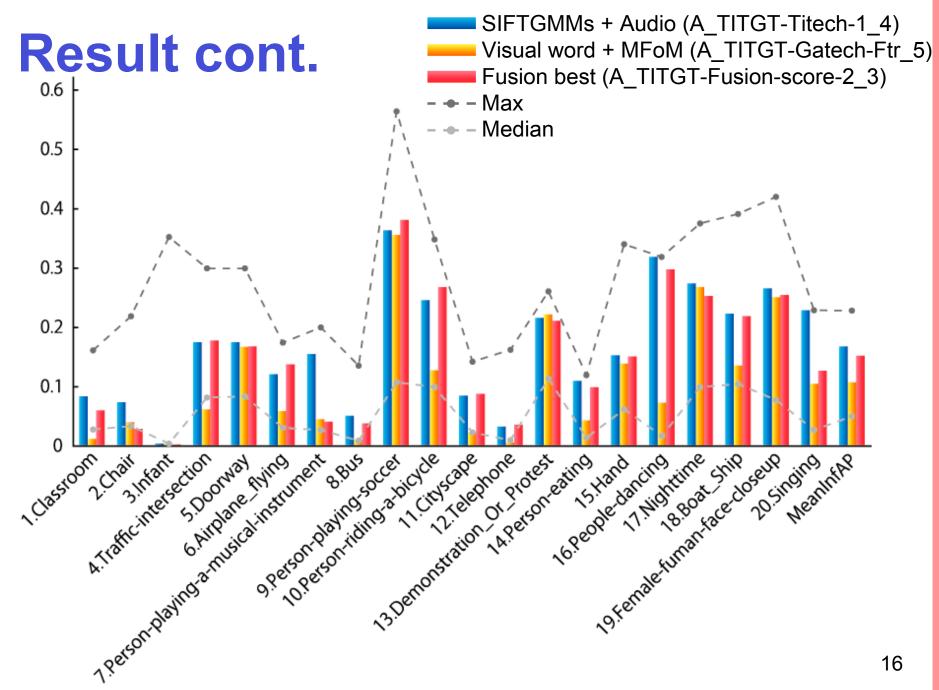
Run name		MInfAP
A_TITGT-Titech-1_4	SIFT GMMs + Audio models (no fusion)	0.168
A_TITGT-Fusion-score-2_3	MFoM (MBT fusion) 1	0.152
A_TITGT-Fusion-score-1_2	MFoM (MBT fusion) 2	0.149
A_TITGT-Fusion-rank_1	Rank fusion	0.147
A_TITGT-Gatech-Ftr_5	Visual word + MFoM (no fusion)	0.108
A_TITGT-Titech-1_6	Local + Global features (no fusion)	0.023



- MeanInfAP of SIFT GMMs + Audio models was 0.168, which is ranked
 11th of all A-type runs and 4th among all participating teams.
- The MFoM fusion works better than the rank fusion.

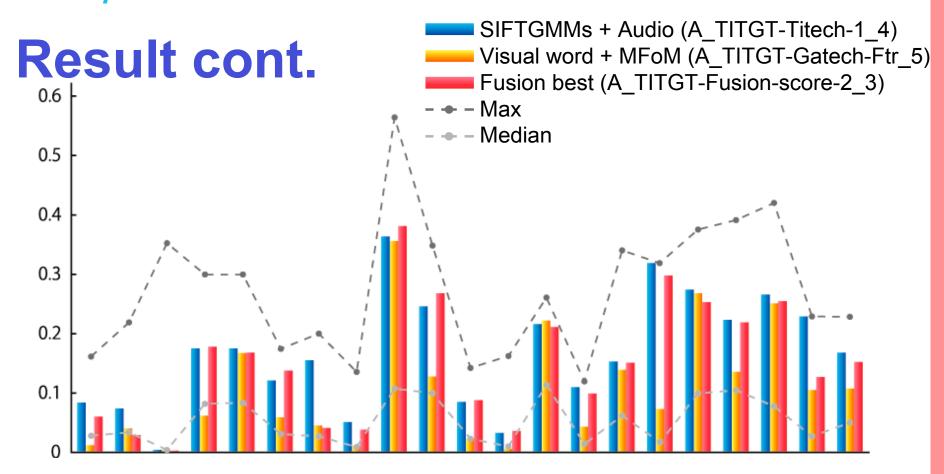












Combination with audio is effective for the HLF extraction.

Good: Singing (0.229), People-dancing (0.319),

People-playing-a-musical-instruments (0.155),

Female-human-face-closeup (0.266).

SIFT GMMs represent HLFs with the background.

Good: Airplane_flying (0.138), Boat_Ship (0.250).





Conclusion

- Combination of SIFT GMMs and audio models is effective for the HLF extraction (Mean InfAP = 0.168).
 - SIFT GMMs work well for various HLFs.
 - Audio models can detect HLFs complementary.
- It is difficult to make a fusion of different systems.

Future work

- More improved collaboration work
- Using time/spatial region information